

國立臺北科技大學九十八學年度碩士班招生考試

系所組別：2112 2130 電機工程系碩士班甲丙組

第一節 控制系統 (選考) 試題

第一頁 共一頁

注意事項：

1. 本試題共五題，配分共 100 分。
2. 請標明大題、子題編號作答，不必抄題。
3. 全部答案均須在答案卷之答案欄內作答，否則不予計分。

一、(20%) Answer "True" or "False" for the following statements: (每小題 4 分)

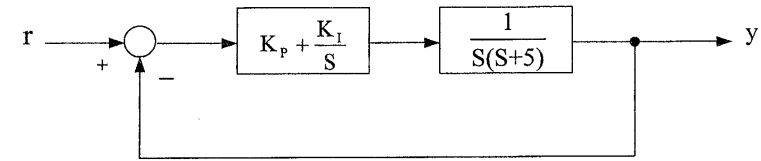
1. Feedback is sometimes used to improve the sensitivity of a control system.
2. The controllability of a system can be changed via coordinate transformation.
3. The zeros of a system can be moved using state feedback.
4. The bandwidth is enlarged when phase-lag compensation is applied.
5. A system compensated with a PD controller is usually more robust than the system compensated with a PI controller.

二、(20%) For the system $G(s)$ given below, is it BIBO stable, marginally stable,

or unstable? You need to say the reason for your answers. (每小題 4 分)

1. $G(s) = 1$;
2. $G(s) = s$;
3. $G(s) = \frac{1}{s}$
4. $G(s) = \frac{1}{(s+1)^2}$
5. $G(s) = \frac{1}{(s^2+1)^2}$

三、Consider the following system:



1. (12%) Determine the region in the K_p -versus- K_i parameter plane in which all closed-loop poles are to the left of the line $s = -1$ in the s -plane.
2. (8%) Is it possible to set all closed-loop poles to the left of the line $s = -c$, for any $c > 0$ by choosing suitable K_p and K_i ? If not, determine how large the value c can be?

四、A control process is modeled by the following state equations:

$$\begin{aligned} \dot{x}_1 &= x_1 + x_2 \\ \dot{x}_2 &= 6x_1 + u(t) \end{aligned}$$

The control $u(t)$ is obtained from state feedback such that

$$u(t) = -k_1 x_1 - k_2 x_2$$

1. (10%) Determine the region in the k_1 -versus- k_2 parameter plane in which the closed-loop system is asymptotically stable.
2. (10%) Determine k_1 and k_2 such that the closed-loop poles locate at $s = -2 + j2$ and $s = -2 - j2$.

五、Consider the following nonlinear system:

$$\begin{aligned} \dot{x} &= -x + y \\ \dot{y} &= 2x - y - xz \\ \dot{z} &= xy - 4z \end{aligned}$$

1. (6%) How many equilibrium points are there in the system?
2. (6%) Find the approximate linear systems at these equilibrium points.
3. (8%) Find their characteristic equations and determine the stability.

2000