

# 國立臺北科技大學

## 九十二學年度車輛工程系碩士班入學考試

### 自動控制試題

填准考證號碼

第一頁 共二頁

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#### 注意事項：

1. 本試題共        題，配分共 100 分。
2. 請按順序標明題號作答，不必抄題。
3. 全部答案均須答在答案卷之答案欄內，否則不予計分。

1. True and False problems (Answer True or False for each problem. You need to provide reasons to support your answer. Otherwise, the answer will be graded as incorrect answer. 5 points for each correct answer and -2.5 points for each incorrect answer): (20%)

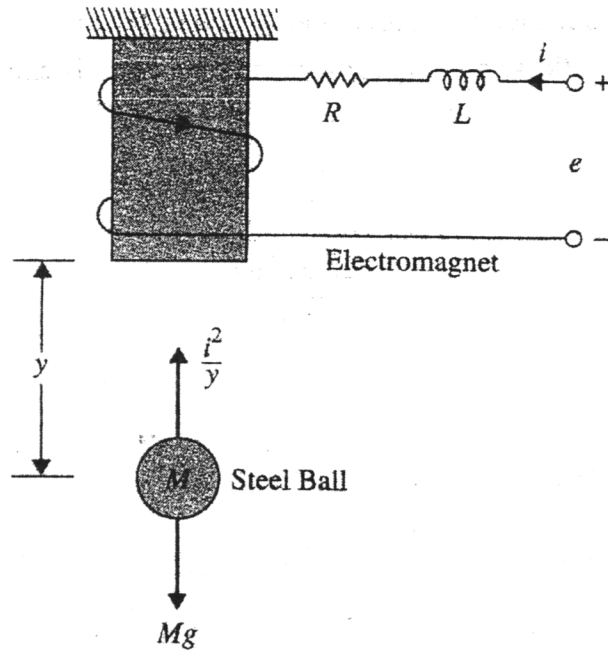
(1) The frequency response of  $G(s) = \frac{s-1}{(s+3)(s+10)(s+20)}$  has a final phase (when  $\omega \rightarrow \infty$ ) of -180 degree.

(2) For a plant with 3 poles and 1 zero in the Left Half Plane, root locus for the unity-feedback closed-loop system under P control will have three branches, and PI control will have four branches.

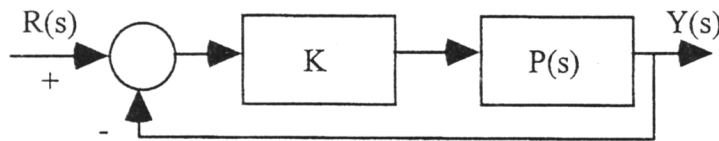
(3) The step response of a type-one second order plant (one pole at 0, the other pole is stable) goes to a non-zero steady-state value.

(4)  $\frac{d}{dt} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -1 & -2 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$  is not controllable since  $u$  can only affect  $x_2$ .

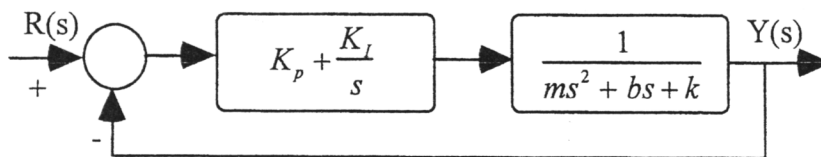
2. The following figure shows the diagram of a magnetic-ball-suspension system. Let us define the state variables as  $x_1(t) = y(t)$ ,  $x_2(t) = \dot{y}(t)$ , and  $x_3(t) = i(t)$ . The input is defined as  $u(t) = e(t)$ . Please derive a set of state equations to describe the system. (5%) Please linearize the state equations around the point where  $y(t) = y_0$ . (15%)



3. For the plant  $P(s) = \frac{s+10}{(s+1)(s-1)}$ ,
- (1) Obtain a rough sketch of the Nyquist plot with  $K=1$  (5%)
  - (2) What is the range of  $K$  for a stable closed-loop system? (5%)
  - (3) For  $K$  outside of the stable range, when will there be two unstable poles? (5%) When will there be only one unstable pole? (5%)



4. For the following control system, it is desirable to study the effect of spring stiffness ( $k$ ) variation on closed-loop pole locations. Plot the root locus for this purpose (assuming that  $k$  can vary from 0 to infinity) when the other parameters are fixed at  $m = 1$ ,  $b = 3$ ,  $K_p = 3$  and  $K_I = 1$ . You must show
- (1)  $a(s)$  and  $b(s)$  based on which your root locus was obtained (5%)
  - (2) Angle of departure from the poles (5%) and Asymptotes (5%)
  - (3) Final sketch (5%)



注意：背面尚有試題

5. From the following Bode plot, reconstruct the transfer function (10%). What is the phase margin? (5%). Please calculate how much time delay is enough to de-stabilize the system (5%)

