114VE03

## 國立臺北科技大學114學年度碩士班招生考試

系所組別:1302 車輛工程系碩士班

第二節 自動控制 試題 (選考)

第1頁 共1頁

## 注意事項:

- 1. 本試題共 4 題, 每題 25 分, 共 100 分。
- 2. 不必抄題,作答時請將試題題號及答案依照順序寫在答案卷上。
- 3. 全部答案均須在答案卷之答案欄內作答,否則不予計分。
- 1. A suspension system can be modeled as a  $2^{nd}$  order differential equation  $\ddot{y}(t) + 12\dot{y}(t) + 32y(t) = 32u(t)$ , and all initial conditions are zero.
  - (1) Find the solution y(t) by Laplace Transform and inverse Laplace Transform. (15%)
  - (2) According to your solution y(t), <u>approximately</u> plot the system response y(t)-t diagram for the period t=[0, 2].
- 2. (1). Will the unit-step-input response of a 2<sup>nd</sup> order system with two poles at -1 and -3 be overdamped system response or underdamped system response? Also **briefly** explain your answer. (5%)
  - (2) <u>Briefly</u> write down the definitions of (a) rise time, (b) settling time for an underdamped 2<sup>nd</sup> order system response under unit-step input. (10%)
- (3) <u>Roughly</u> copy the Fig. 1 plot into your answer sheet, and mark the rise time and settling time in your plot in answer sheet according to your definitions. (10%)

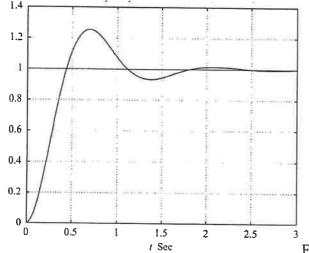


Fig.1

- 3. Consider an open-loop system with transfer function  $\frac{1}{s(s^2+s+1)(s+2)}$ . Now a negative unity feedback control with proportional control gain K is applied to this system. Find the range of value of K to ensure system stability under unit-step input. (25%)
- 4. The block diagram of a system is shown in Fig.2.
  - (1) Plot its root locus <u>approximately</u>. (10%)
  - (2) <u>Approximately</u> mark the desired closed -loop poles with damping ratio 0.866 in your root locus (10%)
  - (3) Also explain why you choose those pole locations. (5%)

